



Foam Viscosity Expansion Ratio & Texture





Proprietary & Confidential

#### **Test Setup**



- BenchTop Test Stand
  - A variety of foams made: 400, 325, 230, 95, 52 ER
  - Foam pushed through a pipe smaller than foam gen section (3" sch. 40)
    - Pipes: 3" sch. 80, 2" sch. 40 & 80, 1.5" sch. 40, 1" sch. 40 & 80
    - These achieve higher shear for same foam
  - Pressure drop & foam breakdown measured

- Apparent viscosity: 
$$\mu_{app} = \frac{\tau}{\dot{\gamma}}$$

Shear Stress (Pa)  
$$\tau = \frac{\Delta PD}{4L}$$

Shear rate (1/s):  $\dot{\gamma} = \frac{8\bar{\nu}}{D}$   $\Delta P$  – pressure drop (Pa) D – pipe diameter (m) L – pipe length (m) v – average flow velocity (m/s)

#### **Results**





## **Texture Inference**

Sustain MARTER ENERGY STORAGE

- Low Surface Modulus surfactants "Dawn" like
  - Bubbles can slide past each other
    - Aka mobile bubble surfaces
  - Energy is dissipated via sliding ightarrow this is viscous friction (inside the foam films)
  - n~0.5
  - High Surface Modulus surfactants "Gillette Foamy" like
    - Bubble interfaces are rigid no bubbles sliding
      - Aka no surface mobility
    - Energy is dissipated via bubble distortion
    - This dissipation style requires more energy = higher pressure drop while flowing
    - n ~ 0.2-0.3
- Given a LSM surfactant as Biosoft D-40 is the Capillary number and shear stress are:

 $Ca = (\mu \dot{\gamma} R_{32})/\sigma$  Capillary number is a dimensionless shear rate that accounts for bubble size

```
\mu – liquid viscosity (Pa-s)
R<sub>32</sub> – Bubble radius (Sauter)
\sigma – surface tension (N/m)
```

$$\tilde{\tau}_{VF} \approx 1.16 \ Ca^{0.47} \ \Phi^{5/6} (\Phi - 0.74)^{0.1} / (1 - \Phi)^{0.5}$$
 (5)

where  $\tilde{\tau}_{VF} = \tau_{VF} R_0 / \sigma$  is the dimensionless stress related to the friction in the foam films and  $R_0$  is bubble radius. The subscript "VF" denotes viscous friction inside the films.

Valid for:  $0.80 < \Phi < 0.98$ 

 Given for a particular flowing foam's pressure drop data, bubble size can be calculated using equation 5.

## **Volume-Equalization**





- Volume-Equalization for foam takes into account the effect of different expansion ratios on rheology data
  - Both shear rate and shear stress are divided by the Specific Expansion Ratio,  $\epsilon$
- Power-law equations fit to the data show foam's shear-thinning property, n < 1:</li>
  - τ/ε = k (γ/ε)<sup>n</sup>
- Texture is qualitatively apparent from the 52ER. Fine data are greater than the other foams this verifies the observation that finer foams have higher pressure drops

#### **Dimensionless Shear Rate & Stress**





- Combine Capillary number with Volume-Equalization: All data sets are collapsed into one line!
  - Valid for 100 < γ < 1500 1/s
- Foam viscosity,  $\mu_{app}$  can be predicted at any expansion ratio and texture
- Future viscosity & texture measurements will strengthen this model

 $\mu_{app}$ 

## **Shear Horizon**



- Foam Transport & Equipment Design
- Foam Breaking

# **Shear Horizon vs. Expansion Ratio**





The Shear Horizon

When sheared, drier foams break down at lower shear rates, e.g. drier foams are more brittle or fragile

Wetter foams can withstand more shear before breaking down, e.g. wetter foams are more resilient

# **Shear Horizon vs. Expansion Ratio**





Finer foams can withstand higher shear rates e.g. finer foams are more resilient

## **Dimensionless Shear Horizon (semi-log)**





Foam Integrity:  $\epsilon_{out} / \epsilon_{in}$ < 1 indicates the foam is breaking down from the shear

The semi-log version of this graph is useful for finding the maximum shear rate for keeping a foam intact

The limit is **Sr <= 0.002** for >95% intact foam

# **Dimensionless Shear Horizon (log-log)**





The log-log version of this graph is useful for finding the shear rate for breaking down a foam

To break down a foam to 10%, **Sr ~ 0.3** 

To break down a foam to 5%, **Sr ~ 1** 

For foam to go from >95% intact to 5% Sr:  $0.002 \rightarrow 1$ i.e. 500x more shear needed

Sr is inversely proportional to the cube of the length scale (pipe diameter) Sr  $\sim 1/D^3$ 

Thus, D must shrink by ~8x

So to break foam via an orifice, the orifice must be nearly an order of magnitude smaller than the pipe transporting the foam